

**POLYGON NOTES**

| <u>NAME</u>   | <u># of sides</u> |
|---------------|-------------------|
| TRIANGLE      | 3                 |
| QUADRILATERAL | 4                 |
| PENTAGON      | 5                 |
| HEXAGON       | 6                 |
| HEPTAGON      | 7                 |
| OCTAGON       | 8                 |
| NONAGON       | 9                 |
| DECAGON       | 10                |

# OF  $\triangle$  INSIDE OF A POLYGON: # OF SIDES - 2

TOTAL INTERIOR DEGREES INSIDE A POLYGON: # OF  $\triangle$  INSIDE  $\times 180^\circ$

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Interior and exterior angles in a polygon are SUPPLEMENTAL (They add up to  $180^\circ$ )



#### HOW TO GET 1 INTERIOR ANGLE IN A POLYGON:

1st WAY: Total int' degrees  $\div$  by # of sides

2nd WAY:  $180^\circ - 1$  ext' degree/angle

#### HOW TO GET 1 EXTERIOR ANGLE IN A POLYGON:

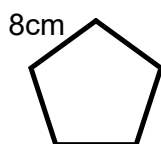
1st WAY:  $360^\circ \div$  by the # of sides

2nd WAY:  $180^\circ - 1$  int' degree/angle

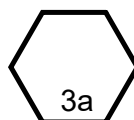
#### HOW TO GET THE # OF SIDES OF A POLYGON

1st WAY:  $360^\circ \div 1$  ext' degree/angle

2nd WAY: ( total int' degrees  $\div 180^\circ$  ) + 2 = # of sides

**PERIMETER of a POLYGON****1 SIDE LENGTH x TOTAL # OF SIDES = PERIMETER**

$$8\text{cm} (5) = 40\text{cm}$$



$$3a (6) = 18a$$

**PERIMETER BACKWARDS:**

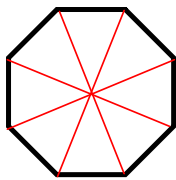
1st WAY:  $\frac{\text{PERIMETER of polygon}}{\# \text{ OF SIDES}} = 1 \text{ SIDE LENGTH}$

2nd WAY:  $\frac{\text{PERIMETER of polygon}}{1 \text{ SIDE LENGTH}} = \text{TOTAL \# OF SIDES}$

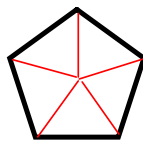
## AREA OF POLYGONS

\*\*\* Every polygon has triangles INSIDE that meet in the center of the polygon\*\*\*

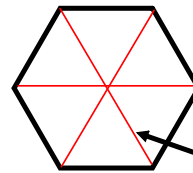
THE # OF  $\triangle$  INSIDE A POLYGON = THE # OF TOTAL SIDES OF THAT POLYGON



8 sides=  
8 triangles



5 sides =  
5 triangles



6 sides=  
6 triangles

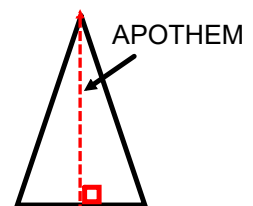
**\*\*VIP\*\***

**ONLY hexagons  
have equilateral  
triangles!!!!!!**

### AREA FORMULA:

1st WAY: (AREA OF 1  $\triangle$  ) x TOTAL # OF SIDES

2nd WAY:  $\frac{\text{PERIMETER OF POLYGON} \times \text{APOTHEM OF 1 } \triangle}{2}$



AREA OF POLYGONS.....BACKWARDS

FORMULA:

$$\frac{\text{AREA OF POLYGON}}{\# \text{ OF SIDES}} = \text{AREA OF 1} \triangle \text{ ..... x 2}$$

$\div$  side length = Apothem  
 $\div$  Apothem = side length

VARIATIONS:

$$\frac{\text{AREA OF A POLYGON x 2}}{\text{APOTHEM}} = \text{PERIMETER}$$

$$\frac{\text{AREA OF A POLYGON x 2}}{\text{PERIMETER}} = \text{APOTHEM}$$